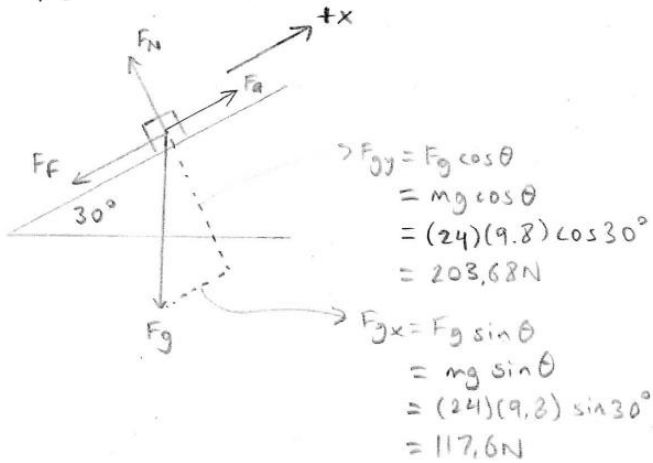


Errata Nelson Physics 12 Chapter 4

Section 4.1 – Review #5d – pg. 170 (Steps shown are incorrect)

4.1 → pg. 170 #5 d)



$$W_F = -F_f \Delta d \quad \rightarrow \quad F_N = F_{gy}$$

$$W_F = -(0.25 \cdot F_N) \Delta d$$

$$W_F = -(0.25 \times 203.68)(16)$$

$$W_F = -814.72 \text{ J [up the ramp]} \\ = +814.72 \text{ J [down the ramp]}$$

$$W_{gx} = -F_{gx} \cdot \Delta d$$

$$= -(117.6)(16)$$

$$= -1881.6 \text{ J [up the ramp]}$$

$$= +1881.6 \text{ J [down the ramp]}$$

The work done by the worker has to overcome the work done by friction and gravity

$$W_A = W_F + W_{gx}$$

$$W_A = (814.72) + (1881.6)$$

$$W_A = 2696.32 \text{ J [up the ramp]}$$



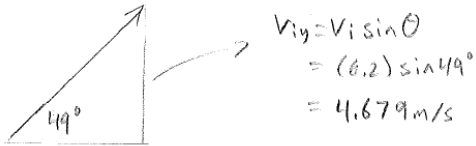
- This is the minimum work done on the crate by the worker
- The W_A cannot be truly calculated unless a F_A (applied force) is given

$$W_A = F_A \Delta d \cos \theta$$

∴ the total work done is zero in this case assuming the crate moves at a constant velocity

Section 4.5 – Sample Problem #2 – pg.186 (Steps shown are incorrect)

4.5 → pg. 186 Sample Problem 2



$$\begin{aligned}
 V_{ix} &= V_i \cos \theta \\
 &= (6.2) \cos 49^\circ \\
 &= 4.067 \text{ m/s}
 \end{aligned}$$

Using conservation of energy

$$a) \quad E_{ki} + E_{gi} = E_{kf} + E_{gf}$$

$$\frac{mv_i^2}{2} + mgh_i = \frac{mv_f^2}{2} + mgh_f$$

(Starts at ground) $(v_{fy} = 0 \text{ m/s at max height})$

$$\frac{mv_i^2}{2} = mgh_f$$

$$\frac{v_{iy}^2}{2g} = h_f$$

$$\frac{(4.679)^2}{2 \times 9.8} = h_f$$

$$\boxed{1.11 \text{ m} = h_f}$$

Using projectile motion

• assuming the bullfrog lands ground to ground

$$\begin{aligned}
 H_{\max} &= \frac{(v_{\sin \theta})^2}{2g} \\
 &= \frac{(6.2 \sin 49^\circ)^2}{2(9.8)}
 \end{aligned}$$

$$\boxed{H_{\max} = 1.11 \text{ m}}$$

$$b) \quad E_{ki} + E_{gi} = E_{kf} + E_{gf}$$

(starts at ground)

$$\frac{mv_i^2}{2} = \frac{mv_f^2}{2} + mgh_f$$

$$\frac{(4.679)^2}{2} = \frac{v_f^2}{2} + (9.8)(0.82)$$

$$10.946 = \frac{v_f^2}{2} + 8.036$$

$$(10.946 - 8.036) \times 2 = v_f^2$$

$$\sqrt{5.82} = v_f$$

$$\boxed{2.41 \text{ m/s} = v_f}$$