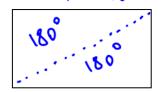
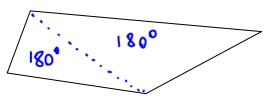
ANGLES IN A POLYGON

The sum of the interior angles in *any* triangle is $\frac{180}{}^{\circ}$. (No matter what its size or shape!)

A quadrilateral can be divided into two triangles. Draw a diagonal in each quadrilateral below to accomplish this.

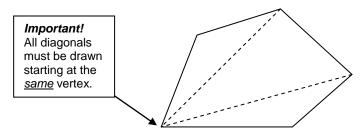




The sum of the interior angles in a quadrilateral is $\underline{\underline{360}}^{\circ}$ because each of the 2 triangles contributes $\underline{\underline{180}}^{\circ}$ to the angle sum.

Any polygon can be divided into triangles to determine the sum of the angles.

For example, a *pentagon* can be divided up as follows:



Number of triangles =
$$3$$

Sum of angles =
$$3 \times 180^{\circ} = 540^{\circ}$$

Complete the following chart:

	POLYGON	NUMBER OF SIDES	TRIANGLES FORMED	SUM OF THE INTERIOR ANGLES
	Triangle	3	1>	[x180 180°
	Quadrilateral	4	2 ->	2×180 360°
	Pentagon	5	3 —	73×180 540°
	hexagen	6	4 —	4×180 720°
	heptagon	7	5	900°
100	Octagon	8	6	1080°
)	Nonagon	9	7	1260°
	decagon	10	8	1440°
	100-gon	100	98	17640°
	22-gon	22	20	3600°
_	17-901	17	15	2700°
	n-gon	n	N-2	(n-2)·1800